

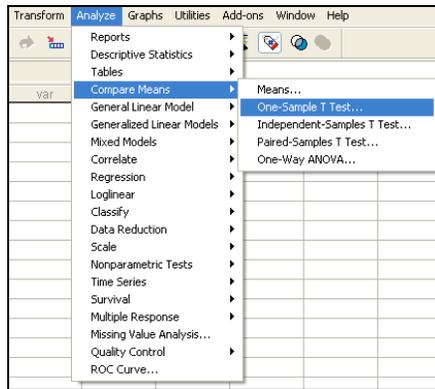
Average systolic blood pressure of a normal male is supposed to be about 129. Measurements of systolic blood pressure on a sample of 12 adult males from a community whose dietary habits are suspected of causing high blood pressure are listed below:

|     |     |     |     |
|-----|-----|-----|-----|
| 115 | 134 | 131 | 143 |
| 130 | 154 | 119 | 137 |
| 155 | 130 | 110 | 138 |

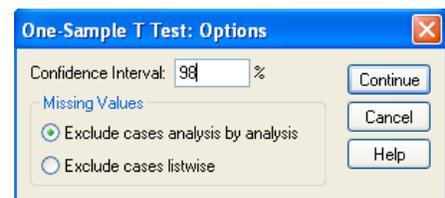
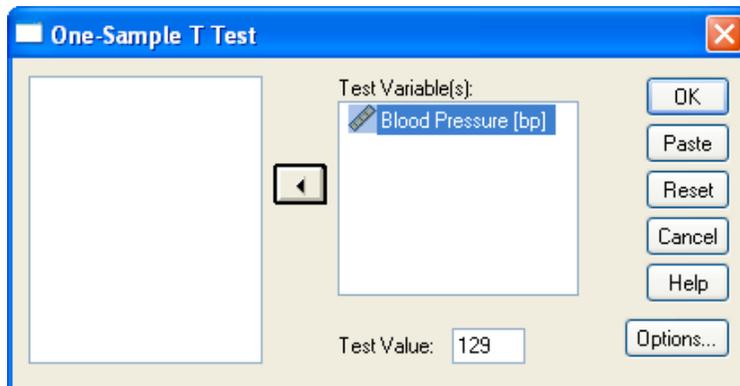
Do the data justify ( $\alpha = 0.01$ ) the suspicions regarding the blood pressure of this community?

1. Enter the values into a variable (see left figure, below). Be sure to create a Normal Q-Q Plot first to assess the normality of the sample data (see separate handout on Normal Q-Q Plots).

|    | bp  |
|----|-----|
| 1  | 115 |
| 2  | 130 |
| 3  | 155 |
| 4  | 134 |
| 5  | 154 |
| 6  | 130 |
| 7  | 131 |
| 8  | 119 |
| 9  | 110 |
| 10 | 143 |
| 11 | 137 |
| 12 | 138 |



2. Select Analyze → Compare Means → One-Sample T Test... (see right figure, above).
3. Select “Blood Pressure” as the test variable and enter “129” (the null-hypothesized value) as the test value. Click the “Options...” button and enter the appropriate confidence level (98%, since  $\alpha = 0.01$  for this one-tailed test), if needed. Click “Continue” to close the options and then click “OK” (see the two figures, below).



4. Your output should look like this.

**T-Test**

**One-Sample Statistics**

|                | N  | Mean    | Std. Deviation | Std. Error Mean |
|----------------|----|---------|----------------|-----------------|
| Blood Pressure | 12 | 133.000 | 13.94144       | 4.0245          |

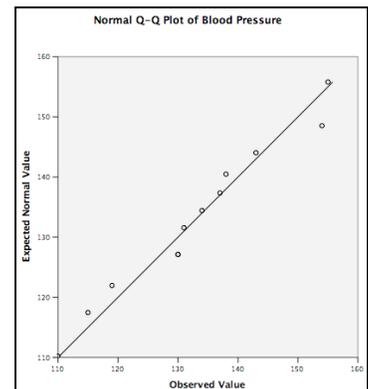
**One-Sample Test**

|                | Test Value = 129 |    |                 |                 |  |
|----------------|------------------|----|-----------------|-----------------|--|
|                | t                | df | Sig. (2-tailed) | Mean Difference | 98% Confidence Interval of the Difference<br>Lower Upper |
| Blood Pressure | .9939            | 11 | .3416           | 4.0000          | -6.9390 14.9390  |

5. You should use the output information in the following manner to answer the question.

**Step 0: Check Q-Q Plot**

Since the points lie along the diagonal line, the sample data is approximately normally distributed. Thus, we may continue with performing the *T*-procedures.



**Step 1: Hypotheses**

$$H_0: \mu = 129$$

$$H_a: \mu > 129$$

**Step 2: Significance Level**

$$\alpha = 0.01$$

**Step 3: Rejection Region**

Reject the null hypothesis if  $p\text{-value} \leq 0.01$ .

( $t_{\alpha, df=n-1} = t_{0.01, df=11} = 2.72$  Reject the null hypothesis if  $T \geq 2.72$ .)

**Step 4: Test Statistic**

**One-Sample Test**

|                | Test Value = 129 |    |                 |                 |  |
|----------------|------------------|----|-----------------|-----------------|--|
|                | t                | df | Sig. (2-tailed) | Mean Difference | 98% Confidence Interval of the Difference<br>Lower Upper |
| Blood Pressure | .9939            | 11 | .3416           | 4.0000          | -6.9390 14.9390  |

From the output,  $T = 0.9939$  with 11 degrees of freedom.

$$p\text{-value} = \frac{1}{2}(\text{Sig.}(2\text{-tailed})) = \frac{1}{2}(0.3416) = 0.1708$$

[Note: *Sig.(2-tailed)* is the *p*-value for a two-tailed hypothesis test.]

**Step 5: Conclusion**

Since  $p\text{-value} = 0.1708 > 0.01 = \alpha$  ( $0.9939 < 2.72$ ), we fail to reject the null hypothesis.

**Step 6: State conclusion in words**

At the  $\alpha = 0.01$  level of significance, there is not enough evidence to conclude that there is high blood pressure in this community's males. [Since we failed to reject the null hypothesis, no confidence interval is needed.]